

A note on generic splitting of quadratic forms

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Let F be a field of any characteristic. For $n \geq 0$, let $J(n) = \{q \in W_q(F) \mid \deg(q) \leq n\}$. The degree conjecture asserts that for each $n \geq 0$ (DC) $J(n) = I_n W_q(F)$. Let p be any n -fold quadratic Pfister form over F and $F(p)$ the function field of p . Then the function field conjecture asserts (FFC) $\ker [I_n W_q(F)/I_{n+1} W_q(F) \rightarrow I_n W_q(F(p))/I_{n+1} W_q(F(p))] = \{0, p\}$. We prove that (DC) is equivalent to (FFC).