# Resolving the Core of R136 in the Optical 

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#### Abstract

The sharpest optical images of the R136 cluster in the Large Magellanic Cloud are presented, allowing us for the first time to resolve members of the central core, including R136a1, the most-massive star known. These data were taken using the Gemini speckle imager Zorro in medium-band filters with effective wavelengths similar to BVRI achieving angular resolutions between 30-40 mas. All stars previously known in the literature, having $V<16$ mag within the central $2^{\prime \prime} \times 2^{\prime \prime}$, were recovered. Visual companions ( $\geqslant 40$ mas; 2000 au) were detected for the WN5h stars R136 a1 and a3. Photometry of the visual companion of a1 suggests it is of mid-O spectral type. Based on new photometric luminosities using the resolved Zorro imaging, the masses of the individual WN5h stars are estimated to be between 150 and $200 M_{\odot}$, lowering significantly the present-day masses of some of the most-massive stars known. These mass estimates are critical anchor points for establishing the stellar upper-mass function.


Unified Astronomy Thesaurus concepts: Massive stars (732); Star formation (1569); WN stars (1805); Speckle interferometry (1552)
Supporting material: data behind figure, machine-readable table

## 1. Introduction

The formation of very massive stars $\left(M_{*}>100 M_{\odot}\right)$ is an unsolved problem in astrophysics. Binarity and constraining the upper-mass limit are crucial to our understanding of their formation. Most massive stars reside within the dense central cores of extincted young massive star clusters, and have short lifetimes ( $\lesssim 2-3 \mathrm{Myr}$ ), making observations challenging. Particularly challenging are resolving local templates of rich super star clusters, with cluster masses more than $10^{4} M_{\odot}$, that were common in the early universe. These are highly compact, relatively distant objects making extreme spatial resolution observations crucial to resolve individual very massive stars found at their centers.
The Large Magellanic Cloud (LMC; metallicity, $Z \sim 1 / 2 Z_{\odot}$ ) cluster R136 offers the best local template for starburst clusters found at higher redshifts, and is the most-massive resolved star cluster known. It has a stellar mass of $\sim 10^{4} M_{\odot}$ within its central 0.2 pc core (Crowther et al. 2016), containing a total $\sim 25$ O-type stars within $1^{\prime \prime}(\sim 0.2$ parsecs at a distance of 49.6 kpc ; Pietrzyński et al. 2019). The most-massive star yet known-R136a1-is situated at its center, and has an estimated initial mass between 250 and $320 M_{\odot}$ (Bestenlehner et al. 2020), setting the presently known empirical stellar upper-mass limit (see., Figer 2005; Weidner \& Kroupa 2004).

The observational challenges to resolve the central core of R136 and estimate the mass of individual stars, even with current instrumentation is significant. Speckle interferometry by Weigelt \& Baier (1985) first resolved the central core of R136 into eight components (marked in Figure 1). Hubble

[^0]Space Telescope (HST) optical (Hunter et al. 1995) and infrared (IR; Campbell et al. 2010; Khorrami et al. 2021) imaging confirmed this (Figure 2). HST ultraviolet (UV) spectroscopy was later used by Crowther et al. (2016) to determine the effective temperature of R136a1 (WN5h spectral type), and an initial mass estimate of $325 M_{\odot}$. A more recent study by Bestenlehner et al. (2020) used updated stellar atmosphere models, which in particular include more detailed physics of the $\mathrm{N} V$ lines, to better to estimate a lower effective temperature (although some difficulties persisted with fitting the N V lines). In conjunction, they used observations (Khorrami et al. 2021) from the SPHERE instrument at the Very Large Telescope (VLT), which offers better extinction correction especially given the cloud content of this region (Kalari et al. 2018). These yielded high-resolution adaptive optics (AO) near-IR $K s$ magnitudes that led to a mass of $251 M_{\odot}$. The angular resolution of HST ( $\sim 50-60 \mathrm{mas}$ ) does not resolve the central core of the cluster completely (Figure 2). Unresolved photometry may lead to discrepancy in mass estimates as it gives rise to varying luminosity estimates, even under similar assumptions, with $\log L / L_{\odot}$ varying between 6.33-6.94 dex from HST and AO IR photometry. Comparing optical and IR thumbnails of the core of R136, centered on R136a1 in Figure 2, the need for higher angular resolution to resolve the central core is apparent.

In this paper, we present deep speckle images of R136 cluster in medium-band filters having central wavelengths at $466,562,716$, and 832 nm . The angular resolutions of our images are between $30-40$ mas, and the limiting magnitude $V \sim 16$ mag. These speckle images are likely the highest possible angular resolution images of R136 in the optical as of this time until the arrival of the 30 m class of telescope. Our imaging enables an improvement on currently available optical high angular resolution images of R136, and


Figure 1. Zorro EO832 imaging of R136. R136 resolved stars from Weigelt \& Baier (1985) are marked. Arrows mark the resolved companions to the WN5h stars R136 a1 and a3. North is up and east is to the left.
(The data used to create this figure are available.)
provides complementary images to those that may be taken in the near-IR from either interferometry, or the James Webb Space Telescope.
This paper is organized as follows. Section 2 presents the observations and the data reduction, and Section 3 presents our results and the caveats associated with them. Conclusions are given in Section 4.

## 2. Speckle Imaging

### 2.1. Observations

Zorro is the speckle instrument mounted on the 8.1 m Gemini South telescope situated atop Cerro Pachón, Chile (Scott et al. 2021). Light entering the instrument is split via a dichoric around 700 nm , and falls on two EMCCDs, offering simultaneous speckle imaging in red and blue filters over an approximately $2!!5 \times 2$ !! 5 field of view (FOV).

A total of 401000 frame speckle data files having individual exposures of 60 ms were acquired on R136 as a part of our project on 2021 October 31. The total integration time on source was 40 minutes. The images were observed in the four medium-band filters EO466, EO562, EO716, and EO832, ${ }^{7}$

[^1]where the approximate central wavelength of the filter is denoted. The sky remained clear throughout the observations, with the FWHM measured using the P2 WaveFront Sensor hovering between $0!$ ! $6-0!$ ! 7 . Observations were conducted at a mean airmass of 1.3 , with aim to observe the target as close as possible to the meridian to minimize atmospheric dispersion. Before the first file, after the last, and at several points during the observations, a bright point source near on the sky was also observed, to provide estimates of the speckle transfer function throughout the observing sequence. Three stars were used for this purpose, HR 1960, HR 1964, and HR 2221. The files taken on R136 were divided into four groups, with a point source before and after the group in each case. This was important to monitor and be able to correct for small changes in residual dispersion present due to the change of the zenith angle over the observational sequence.

### 2.2. Data Reduction

The speckle reduction employed began in the usual way, namely the computation of the average autocorrelation functions of speckle frames of both R136 files and pointsource files. From this, the modulus of the Fourier transform of R136 can be obtained by Fourier transforming the


Figure 2. Grayscale thumbnails of the central core of R136 ( $0.18 \times 0 . \prime 8$ ) centered on R136a1, at highest available angular resolutions in the optical and infrared (IR). The instrument or telescope, and the filter of the images are given in the lower left-hand corner of each thumbnail, and from top to bottom, left to right are HST F336W, and F555W images (Hunter et al. 1995), IR adaptive optics (AO) images from the MAD and SPHERE instrument taken at the VLT in Ks (Campbell et al. 2010; Khorrami et al. 2021), optical AO imaging using the integral field spectrograph MUSE (Castro et al. 2021) and the Zorro images. Apparent is the improved angular resolution from AO imaging in IR, and the vastly improved resolution from Zorro compared to other optical images. All images are in linear scale, with intensity chosen to best separate the central components visually.
autocorrelation of R136 to arrive at its power spectrum, dividing it by the average power spectrum of the point-source calibrators, and taking the square root.

What remains from that point in order to reconstruct the image of the target is the phase of R136 in the Fourier domain. However, the image morphology of the target is complex, and the phase function is difficult to reconstruct using normal speckle methods such as bispectral analysis. On the other hand, progress can be made by comparing the speckle data with IR images of the same field taken in the IR. The inverse-Fourier transform of the modulus shows peaks at the location of each point source relative to the brightest source in the field (which will be at the center of the field), as well as at the same separation from the central star but at a location corresponding to a position angle of $180^{\circ}$ from the actual location of each star.
Our approach has been to identify peaks in common between the $H$-band image of our field (from Campbell et al. 2010, taken using the Multi-conjugate Adaptive optics Demonstrator (MAD) instrument on the VLT) and the inverse transform of the modulus obtained from our speckle data. We then assume the quadrant for each star identified is the same as in the IR image. In some cases, the peak in the IR image appears elongated and the modulus exhibits a double peak; we assume these are cases where there are two stars that were unresolved in the AO image but resolved in our speckle images due to the
smaller diffraction limit in the visible range of the spectrum. In total, we were able to identify 41 peaks in common with the H band image in images of the field taken through the EO832 filter, and 24 peaks in common when observing through the EO562 filter.

We next fitted the collection of peaks with Gaussian functions of various heights and positions on the image plane in the modulus. Only peaks with the quadrants that matched actual sources in the IR image were fitted. The result was a list of positions and heights in the modulus that represented the actual star positions. To insure a robust fit, we fitted the three brightest stars in the field first using the power spectrum fitting method described in Horch et al. (1996) and held those intensities fixed in our fit of the modulus. We then modeled how the height in the inverse-transformed modulus would correspond to intensity, and estimated the stellar intensities from this. Using these, we could build an initial map of the star field, Fourier transform the result, and derive the phase function from that. Combining this phase function together with the original modulus, we in effect built the diffraction-limited Fourier transform of the reconstructed image. After low-pass filtering and inverse transforming, we arrive at a high signal-tonoise ratio reconstructed image of the field. Thus, the AO images help to establish the quadrants of each source, but the intensity and location are determined from the speckle data. We
completed this analysis for each group of observations on R136, as well as a separate analysis where all R136 files and all point-source calibrator files were used in concert to arrive at a final result. Figure 1 shows the final reconstructed image obtained in the EO832 filter using all data files.
It is important to emphasize two caveats with the speckle image reconstructions made in this way. First, the method assumes that the image to be reconstructed is a collection of point sources and only uses peaks that are identifiable in the IR AO images. Thus, the phase function used to create the reconstructed image is incomplete if other sources exist on the frame, or if some of the light detected cannot be represented as a pure point source. Second, the phase function is built from the fitted heights of the peaks in the inverse-transformed modulus. These may contain both random and systematic errors originating from an imperfect point-source match to the data or estimation of the intensities based on peaks in the inversetransformed modulus. These effects need to be studied more fully, but what is clear at present is that if the phase function used to reconstruct the image is not correct due to an under- or overestimated intensity, then it is possible to create false peaks in the reconstructed images that we calculate, at a level of at most a few percent relative to the maximum intensity in the image. Therefore, while the reconstructed images show much higher resolution than previously obtained of the field with AO, one should be careful not to assume that every peak in the reconstructed image comes from a stellar source at that location. However, some stars that appear blended in the IR images are clearly resolved here as seen from Figure 2, and that first estimates of the visible-light magnitudes of many individual stellar sources in the field may derived from the speckle data.

### 2.3. Astrometry

Precise astrometric solutions of the core of R136 are not currently available in the literature, due to the central density of the inner $1^{\prime \prime}$ of the cluster, and the angular resolution ( $>1^{\prime \prime}$ ) of most wide-field surveys commonly utilized for astrometric calibration. The initial astrometric calibration was instead performed using the World Coordinate System (WCS) coordinates provided by Skiff in $2016^{8}$ for the Hunter et al. (1995) HST images. An accurate transformation solution of the Zorro EO832 image coordinates to this WCS was obtained by correcting for distortion and isoplanatic effects using the IRAF task msctpeak in the tangent plate projection, combined with polynomials of order 4 (in the TNX WCS projection). Coordinates were estimated based on the pixel coordinates of the detected sources using the IRAF task ccxymatch, and the WCS calibrated image. Astrometric residuals are around 20 mas or better. These coordinates were used to crossmatch with the Hunter et al. (1995) catalog. Coordinates for all 41 sources in the red and 24 sources in the blue channel are taken from the EO832 image. They are listed in Table 1. Crossmatches to the Crowther et al. (2016) and Khorrami et al. (2021) were made on basis of the Hunter et al. (1995) ID cited in those works. Note that the Skiff (2016) WCS has mean offsets around 0!! 15 with respect to Gaia EDR3 astrometry. Gaia EDR3 coordinates cannot be used to obtain a useful WCS fit for our images, as they do not contain any astrometry for any star besides R136a1.

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### 2.4. Photometry

Reconstructed speckle images always place the brightest star at the center, with the $p s f$ normalized to 1 , only providing relative photometry to the brightest source. To obtain an absolute calibration, we observed at the same median airmass of our science observations (1.33), speckle images in the same filter sets of the spectrophotometric standard EG 21. Using the speckle reduction, the number of counts detected per frame is computed, which is transformed to the count rate per second. This provides instrumental magnitudes from the summed frames in each filter. From the flux calibrated spectra of EG21, AB magnitudes were calculated for each filter, by convolution of the spectra with the filter, dichroic, and detector quantum efficiency curves. This yielded instrumental zeropoints, from which we calculate AB magnitudes, using the percentage of observed counts contributed by the central star, to estimate the correction to the central star magnitude, and place all the photometry on an AB magnitude scale.
Horch et al. $(2001,2004)$ showed that there are systematic errors in the differential magnitudes in speckle imaging due to the finite size of the isoplanatic angle. This results in fainter tertiary stars as the distance from the central star increases, because the light no longer travels through the same air column to reach the telescope leading to a different turbulence pattern at the wave front. This degree of correlation between the magnitude of the primary star and remaining components is given by the $q$ parameter. Here, $q=\rho \omega$, where $\rho$ is the distance from the central star in arcseconds, and $\omega$ the seeing in arcseconds. To calculate the magnitude difference, we used the results from (Howell et al. 2019) for the EO 832 filter. A correction of $0.2802 \times q$ was applied to the magnitudes, with total magnitude corrections ranging from $0.1-0.4$ mag. From the results in (Horch et al. 2004), there appears no discernible difference based on central wavelength of the observations for similar speckle imagers, so no filter based correction was applied.

The final calibrated magnitudes and astrometry of all sources are listed in Table 1. Photometric uncertainties include the zero-point errors propagated with the measured differential magnitude uncertainties.

### 2.5. Comparisons with Literature Photometry

Hunter et al. (1995) presented the first resolved optical photometry of R136 using the WFPC2 camera on board the HST, using short exposures of 4,5 , and 10 s in the F336W, F555W, and F814W (hereafter $U, V$, and $I$ ) filters respectively. Deeper photometry using the advanced UVIS1 chip on the WFC3 camera was presented in the F336W, F438W (hereafter B), F555W, and F814W by Crowther et al. (2016).

We compared the photometry with the Zorro filters having similar central wavelengths. While HST photometry is usually converted using color equations including a color term, we do not employ such equations in our comparisons. This is because color terms of the Zorro medium-band filters, on examination using stellar atmosphere models of hot stars, do not straightforwardly compare with colors of the broadband HST filters. Converting the magnitudes between the medium-band Zorro and broadband HST filters using color equations derived from model atmospheres, without a significant sample of observed comparable photometry in each filter, thus adds significantly to the noise in comparisons, rather than reduce it.

Table 1
Photometry and Coordinates of Sources Detected by Zorro within the Central Core of R136

| \# | HSH95 ${ }^{\text {a }}$ | R.A. ${ }^{\text {b }}$ | decl. | $m_{\text {EO466 }}$ | $m_{\text {EO562 }}$ | $m_{\text {EO716 }}$ | $m_{\text {EO832 }}$ | Spectral Type ${ }^{\text {c }}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 0 | 3(a1) | $05^{\mathrm{h}} 38^{\mathrm{m}} 42^{\text {s }} 398$ | $-69^{\circ} 06^{\prime} 02^{\prime \prime} 86$ | $12.192 \pm 0.02$ | $12.334 \pm 0.03$ | $12.541 \pm 0.02$ | $12.522 \pm 0.02$ | WN5h |
| 1 | 6(a3) | $05^{\mathrm{h}} 38^{\mathrm{m}} 42^{\text {s }} 338$ | $-69^{\circ} 06^{\prime} 03^{\prime \prime} 21$ | $13.53 \pm 0.16$ | $13.138 \pm 0.05$ | $12.954 \pm 0.03$ | $12.95 \pm 0.03$ | WN5h |
| 2 | 5(a2) | $05^{\mathrm{h}} 38^{\mathrm{m}} 42^{\mathrm{s}} 417$ | $-69^{\circ} 06^{\prime} 02^{\prime \prime} 81$ | $13.397 \pm 0.08$ | $13.187 \pm 0.06$ | $12.94 \pm 0.03$ | $12.998 \pm 0.02$ | WN5h |
| 3 | 19(a6) | $05^{\mathrm{h}} 38^{\mathrm{m}} 42^{\text {s }} 293$ | $-69^{\circ} 06^{\prime} 03^{\prime \prime} 28$ | $14.117 \pm 0.1$ | $14.171 \pm 0.07$ | $14.293 \pm 0.03$ | $14.251 \pm 0.03$ | O2If ${ }^{\text {d }}$ |
| 4 | 26 | $05^{\mathrm{h}} 38^{\mathrm{m}} 42^{\mathrm{s}} 298$ | $-69^{\circ} 06^{\prime} 03^{\prime \prime} 34$ | $14.237 \pm 0.21$ | $14.219 \pm 0.08$ | $14.097 \pm 0.03$ | $14.135 \pm 0.03$ |  |
| 5 | 21(a4) | $05^{\mathrm{h}} 38^{\mathrm{m}} 42^{\mathrm{s}} 348$ | $-69^{\circ} 06^{\prime} 02^{\prime \prime} 54$ | $13.922 \pm 0.15$ | $13.825 \pm 0.06$ | $14.235 \pm 0.03$ | $14.221 \pm 0.02$ | O2-03 $\mathrm{V}^{d}$ |
| 6 | 27(a8) | $05^{\mathrm{h}} 38^{\mathrm{m}} 42^{\text {s }} 364$ | $-69^{\circ} 06^{\prime} 02^{\prime \prime} 53$ | $14.332 \pm 0.13$ | $14.335 \pm 0.08$ | $14.462 \pm 0.03$ | $14.426 \pm 0.03$ | O2-03 V ${ }^{\text {d }}$ |
| 7 | 24(a7) | $05^{\mathrm{h}} 38^{\mathrm{m}} 42^{\mathrm{s}} 416$ | $-69^{\circ} 06^{\prime} 02^{\prime \prime} 50$ | $14.03 \pm 0.32$ | $14.282 \pm 0.08$ | $14.39 \pm 0.04$ | $14.415 \pm 0.03$ | O3 III(f*) |
| 8 | 20(a5) | $05^{\mathrm{h}} 38^{\mathrm{m}} 42^{\mathrm{s}} 438$ | $-69^{\circ} 06^{\prime} 02^{\prime \prime} 66$ | $14.095 \pm 0.18$ | $14.085 \pm 0.08$ | $14.001 \pm 0.03$ | $14.016 \pm 0.02$ | $\mathrm{O} 2 \mathrm{If}{ }^{*}$ |
| 9 | 17 | $05^{\mathrm{h}} 38^{\mathrm{m}} 42^{\mathrm{s}} 390$ | $-69^{\circ} 06^{\prime} 02^{\prime \prime} 79$ | $13.68 \pm 0.46$ | $14.037 \pm 0.08$ | $14.079 \pm 0.04$ | $14.191 \pm 0.03$ | 05-09 V ${ }^{\text {e }}$ |
| 10 | 35 | $05^{\mathrm{h}} 38^{\mathrm{m}} 42^{\mathrm{s}} 280$ | $-69^{\circ} 06^{\prime} 02^{\prime \prime} 24$ | $14.849 \pm 0.19$ | $14.641 \pm 0.08$ | $14.995 \pm 0.06$ | $14.96 \pm 0.03$ | O3 V |
| 11 | 30 | $05^{\mathrm{h}} 38^{\mathrm{m}} 42^{\mathrm{s}} 341$ | $-69^{\circ} 06^{\prime} 02^{\prime \prime} 32$ | $14.646 \pm 0.22$ | $14.808 \pm 0.07$ | $15.145 \pm 0.07$ | $15.161 \pm 0.04$ | 07 V |
| 12 | 70 | $05^{\mathrm{h}} 38^{\mathrm{m}} 42^{\mathrm{s}} 468$ | $-69^{\circ} 06^{\prime} 02^{\prime \prime} 35$ | $14.627 \pm 0.37$ | $15.051 \pm 0.12$ | $15.714 \pm 0.08$ | $15.658 \pm 0.05$ | O5 Vz |
| 13 | 58 | $05^{\mathrm{h}} 38^{\mathrm{m}} 42^{\text {s }} 491$ | $-69^{\circ} 06^{\prime} 02^{\prime \prime} 55$ | $14.31 \pm 0.34$ | $15.008 \pm 0.07$ | $14.94 \pm 0.05$ | $14.919 \pm 0.03$ | O3 III( f*) $^{\text {a }}$ |
| 14 | 50 | $05^{\mathrm{h}} 38^{\mathrm{m}} 42^{\mathrm{s}} 517$ | $-69^{\circ} 06^{\prime} 03^{\prime \prime} 22$ | $14.024 \pm 0.29$ | $14.396 \pm 0.07$ | $15.26 \pm 0.06$ | $15.236 \pm 0.04$ | O2-3 $\mathrm{V}^{d}$ |
| 15 | 66 | $05^{\mathrm{h}} 38^{\mathrm{m}} 42^{\mathrm{s}} 432$ | $-69^{\circ} 06^{\prime} 03^{\prime \prime} 29$ | $15.013 \pm 0.28$ | $15.147 \pm 0.13$ | $15.788 \pm 0.07$ | $15.782 \pm 0.04$ | O3 V |
| 16 | 62 | $05^{\mathrm{h}} 38^{\mathrm{m}} 42^{\text {s }} 390$ | $-69^{\circ} 06^{\prime} 03^{\prime \prime} 54$ | $14.478 \pm 0.21$ | $14.652 \pm 0.07$ | $15.024 \pm 0.05$ | $15.016 \pm 0.03$ | O2-3 $\mathrm{V}^{\text {d }}$ |
| 17 | 80 | $05^{\mathrm{h}} 38^{\mathrm{m}} 42^{\mathrm{s}} 345$ | $-69^{\circ} 06^{\prime} 03^{\prime \prime} 66$ | $15.108 \pm 0.34$ | $14.841 \pm 0.09$ | $15.782 \pm 0.06$ | $15.706 \pm 0.05$ | O8 V |
| 18 | 52 | $05^{\mathrm{h}} 38^{\mathrm{m}} 42^{\mathrm{s}} 432$ | $-69^{\circ} 06^{\prime} 03^{\prime \prime} 94$ | $15.673 \pm 0.39$ | $15.959 \pm 0.1$ | $15.279 \pm 0.07$ | $15.238 \pm 0.03$ | 03 V |
| 19 | 48 | $05^{\mathrm{h}} 38^{\mathrm{m}} 42^{\mathrm{s}} 621$ | $-69^{\circ} 06^{\prime} 02^{\prime \prime} 79$ | $16.005 \pm 0.23$ | $16.506 \pm 0.18$ | $15.804 \pm 0.12$ | $15.728 \pm 0.04$ | O2-3 III(f*) |
| 20 | 112 | $05^{\mathrm{h}} 38^{\mathrm{m}} 42^{\text {s }} 538$ | $-69^{\circ} 06^{\prime} 02^{\prime \prime} 16$ | $15.916 \pm 0.28$ | $16.531 \pm 0.17$ | $15.812 \pm 0.1$ | $15.757 \pm 0.06$ | $08.5 \mathrm{III}(\mathrm{f})$ |
| 21 | 257 | $05^{\mathrm{h}} 38^{\mathrm{m}} 42^{\text {s }} 320$ | $-69^{\circ} 06^{\prime} 02^{\prime \prime} 38$ | $16.391 \pm 0.22$ | $16.853 \pm 0.49$ | $16.054 \pm 0.06$ | $16.015 \pm 0.05$ | ... |
| 22 | ... | $05^{\mathrm{h}} 38^{\mathrm{m}} 42^{\text {s }} 261$ | $-69^{\circ} 06^{\prime} 02^{\prime \prime} 29$ | $16.177 \pm 0.41$ | $17.228 \pm 0.18$ | $16.031 \pm 0.33$ | $15.941 \pm 0.1$ | ... |
| 23 | 231 | $05^{\mathrm{h}} 38^{\mathrm{m}} 42^{\mathrm{s}} 522$ | $-69^{\circ} 06^{\prime} 02^{\prime \prime} 39$ | $16.481 \pm 0.51$ | $16.388 \pm 0.4$ | $15.432 \pm 0.17$ | $15.399 \pm 0.03$ | $\ldots$ |
| 24 | 78 | $05^{\mathrm{h}} 38^{\mathrm{m}} 42^{\text {s }} 219$ | $-69^{\circ} 06^{\prime} 02^{\prime \prime} 96$ | ... | ... | $15.556 \pm 0.08$ | $15.558 \pm 0.03$ | O4: V |
| 25 | 90 | $05^{\mathrm{h}} 38^{\mathrm{m}} 42^{\text {s }} 257$ | $-69^{\circ} 06^{\prime} 02^{\prime \prime} 72$ | ... | ... | $16.067 \pm 0.09$ | $15.775 \pm 0.06$ | O5 V |
| 26 | 92 | $05^{\mathrm{h}} 38^{\mathrm{m}} 42^{\text {s}} 277$ | $-69^{\circ} 06^{\prime} 02^{\prime \prime} 03$ | ... | ... | $15.587 \pm 0.09$ | $15.639 \pm 0.06$ | O3 V |
| 27 | 93 | $05^{\mathrm{h}} 38^{\mathrm{m}} 42^{\mathrm{s}} 412$ | $-69^{\circ} 06^{\prime} 02^{\prime \prime} 39$ | ... | ... | $16.717 \pm 0.19$ | $16.707 \pm 0.13$ |  |
| 28 | 89 | $05^{\mathrm{h}} 38^{\mathrm{m}} 42^{\text {s }} 503$ | $-69^{\circ} 06^{\prime} 03^{\prime \prime} 12$ | ... | ... | $15.888 \pm 0.09$ | $15.897 \pm 0.06$ | O4 V ${ }^{\text {d }}$ |
| 29 | ... | $05^{\mathrm{h}} 38^{\mathrm{m}} 42^{\text {s }} 344$ | $-69^{\circ} 06^{\prime} 03^{\prime \prime} 61$ | ... | .. | $17.387 \pm 0.16$ | $17.154 \pm 0.15$ |  |
| 30 | 75 | $05^{\mathrm{h}} 38^{\mathrm{m}} 42^{\mathrm{s}} 200$ | $-69^{\circ} 06^{\prime} 01.70$ | ... | ... | $15.726 \pm 0.09$ | $15.859 \pm 0.09$ | $\mathrm{O} 4 \mathrm{~V}^{\text {d }}$ |
| 31 | 73 | $05^{\mathrm{h}} 38^{\mathrm{m}} 42^{\text {s}} 558$ | $-69^{\circ} 06^{\prime} 03^{\prime \prime} 37$ | ... | ... | $16.403 \pm 0.25$ | $16.391 \pm 0.08$ | O9 V |
| 32 | 69 | $05^{\mathrm{h}} 38^{\mathrm{m}} 42^{\text {s }} 549$ | $-69^{\circ} 06^{\prime} 03^{\prime \prime} 54$ | ... | ... | $15.723 \pm 0.1$ | $15.71 \pm 0.07$ | O3-6 V |
| 33 | 94 | $05^{\mathrm{h}} 38^{\mathrm{m}} 42^{\mathrm{s}} 545$ | $-69^{\circ} 06^{\prime} 03^{\prime \prime} 88$ | ... | ... | $16.261 \pm 0.15$ | $16.282 \pm 0.08$ | O3 V |
| 34 | ... | $05^{\mathrm{h}} 38^{\mathrm{m}} 42^{\text {s }} 349$ | $-69^{\circ} 06^{\prime} 03^{\prime \prime 25}$ | ... | ... | $18.078 \pm 1.1$ | $18.031 \pm 0.1$ | ... |
| 35 | 86 | $05^{\mathrm{h}} 38^{\mathrm{m}} 42^{\text {s }} 326$ | $-69^{\circ} 06^{\prime} 03^{\prime \prime} 06$ | ... | ... | $16.649 \pm 0.1$ | $16.674 \pm 0.05$ | O3-4 $\mathrm{V}^{\text {d }}$ |
| 36 | 108 | $05^{\mathrm{h}} 38^{\mathrm{m}} 42^{\mathrm{s}} 181$ | $-69^{\circ} 06^{\prime} 01.78$ | ... | ... | $16.267 \pm 0.09$ | $16.102 \pm 0.06$ | 07-8 $\mathrm{V}^{\text {d }}$ |
| 37 | ... | $05^{\mathrm{h}} 38^{\mathrm{m}} 42^{\mathrm{s}} 174$ | $-69^{\circ} 06^{\prime} 01.72$ | ... | ... | $16.92 \pm 0.17$ | $16.922 \pm 0.06$ | ... |
| 38 |  | $05^{\mathrm{h}} 38^{\mathrm{m}} 42^{\mathrm{s}} 176$ | $-69^{\circ} 06^{\prime} 02^{\prime \prime} 98$ | $\ldots$ | ... | $16.378 \pm 0.1$ | $16.291 \pm 0.07$ | ... |
| 39 | 203 | $05^{\mathrm{h}} 38^{\mathrm{m}} 42^{\mathrm{s}} 178$ | $-69^{\circ} 06^{\prime} 03^{\prime \prime} 05$ | ... | ... | $16.577 \pm 0.08$ | $16.557 \pm 0.08$ | ... |
| 40 | 77 | $05^{\mathrm{h}} 38^{\mathrm{m}} 42^{\mathrm{s}} 478$ | $-69^{\circ} 06^{\prime} 04^{\prime \prime} 03$ | ... | ... | $16.391 \pm 0.35$ | $16.409 \pm 0.11$ | $05.5 \mathrm{~V}+\mathrm{O} .5 \mathrm{~S}$ |

## Notes.

${ }^{\text {a }}$ HSH95 refers to the nomenclature from Hunter et al. (1995), with the nomenclature in the parenthesis is for R136 a sources from Weigelt \& Baier (1985).
${ }^{\mathrm{b}}$ Coordinates are in J2000 epoch, with the reference World Coordinate System from Skiff (https://vizier.cds.unistra.fr/viz-bin/VizieR?-source=J/ApJ/448/179).
${ }^{\text {c }}$ Spectral types are optical spectral types from Crowther et al. (2016), or otherwise indicated.
${ }^{\text {d }}$ Ultraviolet spectral type from Crowther et al. (2016).
${ }^{\mathrm{e}}$ Photometric spectral type based on Zorro magnitudes.
(This table is available in its entirety in machine-readable form.)

Instead, we ignore color-based terms and compare directly the HST $B, V$, and $I$ magnitudes with Zorro $m_{\text {EO466 }}, m_{\text {EO562 }}$, and $m_{\text {EO832 }}$ magnitudes respectively, only applying Vega to AB magnitude system conversion factors for the HST magnitudes. The comparisons to the WFPC2 photometry are shown in Figure 3, with the residuals from the comparisons shown in Figure 4.

The photometry from Hunter et al. (1995) has 35 stars in common, and compares favorably against our photometry. The median offset for $\left(V-m_{\mathrm{EO} 562}\right)$ is -0.12 mag with a variance of 0.27 , for $\left(I-m_{\mathrm{EO} 32}\right)$ is -0.09 with a much smaller variance of 0.07 . This is consistent with the expectation from hot star standard spectra between these two systems, having median
offsets of -0.05 and -0.06 , while not accounting for any color terms. We draw attention to the three brightest WN5h stars, R136 a1, a2, and a3. For a1, the Hunter et al. (1995) V magnitude is 0.5 mag fainter that our photometry, while for the other two stars our photometry is around $0.1-0.2$ magnitudes fainter, more consistent with expectations. A similar trend is found for the comparison the $I$-band photometry, although the differences are of the order of 0.05 mag.
A comparison to the (Crowther et al. 2016) photometry presents larger variance, for a sample of 24 stars. We find for a comparison with the $B, V$, and $I$ magnitudes median offsets of $-0.21,-0.2$, and -0.34 respectively. This is larger than expectations using standard star spectra, and similar in scale to


Figure 3. Comparison of the Zorro photometry with the HST WFPC2 photometry from Hunter et al. (1995), for filters having similar central wavelengths. Solid lines represent unity, while dashed lines are for offsets of 0.1 mag . Vega to AB offsets for the HST photometry were applied.


Figure 4. Residuals between HST and Zorro photometry, where $B, V$, and $I$ represent the HST F438W, F555W, and F814W, and Zorro EO466, EO532, and EO832 filters, respectively. Circles correspond to residuals of WFPC2 photometry from Hunter et al. (1995), while squares are the comparisons with Crowther et al. (2016) WFC3 photometry. Vega to AB offsets for the HST photometry were applied.
the offsets found by Crowther et al. (2016) against Hunter et al. (1995) photometry. Our results and those from Hunter et al. (1995) are fainter for the brightest stars than those presented in Crowther et al. (2016). Finally, the variance for ( $B-m_{\mathrm{EO} 466}$ ) is 0.3 , and displays the comparatively larger deviations in the bluest photometry for the faintest stars as seen in Figure 4.

## 3. Results

### 3.1. Stellar Census

Table 1 presents the photometry of all sources identified. Forty-one sources are identified in the red filters, and 24 in the blue. In Figure 5 the $m_{\mathrm{EO} 832}$ and $m_{\mathrm{EO} 555}$ luminosity function of all 41 (24) sources are respectively presented. From the magnitude histogram in Figure 5, the $90 \%$ completeness limit in the red channel corresponds to $m_{\mathrm{EO} 832}=15.75 \mathrm{mag}$, which is close to the sensitivity limits of Zorro. In the blue channel, the number of sources recovered is much lower. However, all stars brighter than $m_{\mathrm{EO} 832}<15.5 \mathrm{mag}$ were detected in both the blue and the red channel. Given that a magnitude of $V \sim 15$ corresponds to an late O-/early B-type star at the adopted

[^3]

Figure 5. Observed luminosity function from the Zorro photometry in $m_{\text {EO832 }}$ (red dashed line), and $\mathrm{m}_{\mathrm{EO} 562}$ (blue solid line) filters, representing the sources recovered in the red and blue channels respectively.
distance, assuming an absolute extinction of $A_{V}=2 \mathrm{mag}$ (Crowther et al. 2016 suggest $1.72 \pm 0.25 \mathrm{mag}$ ), we should recover all known and visible O-type stars within our FOV in all the observed passbands.
We compared our census to the stars detected within the FOV by Hunter et al. (1995) and Crowther et al. (2016), with magnitude $V<16$ mag. Compared to Hunter et al. (1995), all stars were identified in the images. However, the magnitudes of HSH 107 and HSH 119 could not be recovered (the ID denoted is from Hunter et al. 1995 here), as they are relatively faint stars ( $V>15.5 \mathrm{mag}$ ) near bright stars. Their photometry is not presented in our results. All stars from the WFC3 data of Crowther et al. (2016) were recovered.

New sources within this region were identified by our photometry. We draw attention to R136a3, which has a newly identified visual component within $\lesssim 2000$ au, previously unidentified (\#34). This star is the faintest in the sample, having $m_{\text {EO832 }}$ of 18 mag . In addition, R136 a6 is separated into two components cleanly for the first time in the optical, as well as separating the central a1/a2 system from the more fainter HSH 17 (\#9 in Table 1), located ~3000 au (70 mas) from a1.
The color-magnitude diagram (CMD) of ( $m_{\mathrm{EO} 716}-m_{\mathrm{EO} 32}$ ) versus $m_{\text {EO716 }}$ is shown in Figure 6. Overlaid is the zero-age main-sequence (ZAMS) locus of rotating massive stars having initial rotational velocities of $150 \mathrm{~km} \mathrm{~s}^{-1}$. For masses between 60


Figure 6. Color-magnitude diagram of $\left(m_{\mathrm{EO} 716}-m_{\mathrm{EO} 832}\right)$ vs. $m_{\mathrm{EO} 716}$ for all sources. The Hunter et al. (1995) identification numbers are written when there is a crossmatch. Smoothed zero-age main-sequence isochrone from 60-500 $M_{\odot}$ from Köhler et al. (2015), and from 15-60 $M_{\odot}$ from Brott et al. (2011) are shown, converted to the observational plane using the stellar atmosphere models of Lanz \& Hubeny (2003). The stellar mass at various $m_{\text {EO716 }}$ are shown, along with median errors at different steps of $m_{\mathrm{EO} 16}$. The ZAMS is corrected for a distance modulus of 18.48 mag , and assumes a mean extinction of $A_{V}=2 \mathrm{mag}$, having $R_{V}=4.18$ following the reddening law of Maíz Apellániz et al. (2014).
and $500 M_{\odot}$, the locus from Köhler et al. (2015) is shown, and for masses between 15 and $60 M_{\odot}$ the Brott et al. (2011) ZAMS is adopted. The models are transformed to the observational plane using the $0.5 Z_{\odot}$ stellar atmosphere models from Lanz \& Hubeny (2003) and the appropriate instrumental responses.

All sources are above $15 M_{\odot}$ following the ZAMS models, except for \#34 (visual companion to R136 a3), with the maximum around $300 M_{\odot}$ for the three WN5h stars. The mostmassive stars after the WN5h stars are the early O supergiants found by Crowther et al. (2016). These include \#8 (O2If*), \#7 (O3IIIf ${ }^{*}$ ), \#5 (O2-O3V), \#6 (O2-O3V), \#3 (O2If), and \#4, having estimated masses between $70-150 M_{\odot}$ (Crowther et al. 2016). Numbering corresponds to Table 1. There exists a gap in known stellar masses between the early O supergiants, and the WN5h stars in this region.

### 3.2. Core of R136

The crowding within the central 0 !! 1 of R136 is thought to have led to differences between various photometry presented in the literature. Table 2 lists the flux ratios of the al/a2/HSH17 system at the center of R136, and also with the other WN5h star, a3. HSH17 is the visual companion to a1, marked by the arrow in Figure 1, and the nomenclature taken from Hunter et al. (1995). The flux ratios of a1/a2 in Zorro, AO IR, and AO spectroscopy is much lower than from WFC3 photometry indicating possible saturation in the WFC3 photometry (the magnitudes of the a1/a2 system in Crowther et al. 2016 are corrected to give a flux ratio of 0.62 ). WFPC2 photometry gives a higher flux ratio in the $V$ filter,
but lower in $U$ and $I$. a1 appears significantly brighter than a2, with a median flux ratio at $m_{\mathrm{EO} 832}$ or $m_{\mathrm{EO} 716}$ of 0.65 and 0.69 respectively, but at $m_{\text {EO466 }}$ around 0.33 . This is closer to the flux ratio seen in $1500 \AA$ spectroscopy ( 0.56 ) reported in Crowther et al. (2016). In principle, the observed flux ratios should be similar across similar wavelengths under the reasonable assumptions of similar underlying spectral type and extinction. The difference in flux ratios suggests the possibility of either lower extinction toward a1 (as a1 has excess UV flux compared to a2 assuming both have similar WN5h spectral types), or significant emission-line flux. Future resolved optical spectroscopy of the He II $\lambda 4686$ line in the a1/a2 system can investigate this issue.

While HSH17 is not described in the WFC3 photometry presented in Crowther et al. (2016), in WFPC2 photometry it has a flux ratio agreeing with our Zorro estimates. Its brightness is similar to the known O spectral types, and it is located $\sim 3000$ au away from a1. To determine its spectral type, we fit the available Zorro photometry along with IR AO $K s$ photometry from Khorrami et al. (2021) to Lanz \& Hubeny (2003) stellar atmosphere models. It is brighter in $m_{\mathrm{EO} 466}$ (comparable to a3 and a2) than the redder bandpasses, suggesting significant He II $\lambda 4686$ emission. The resulting best fit is poor ( $\chi^{2} \sim 80$ ), but suggests a mid-O dwarf spectral type (having effective temperature of $35 \pm 10 \mathrm{kK}$ ), having absolute extinction of 1.65 mag , with the $m_{\text {EO466 }}$ magnitude fit as an upper limit due to possible contamination from He II $\lambda 4686$ emission-line flux. Given its extremely blue location in the CMD (Figure 6), and probable He II $\lambda 4686$ emission the star itself could be considerably hotter with it is spectral type not well represented by Lanz \& Hubeny (2003) model atmospheres.

We also consider the possibility that the detected visual binaries are not chance alignments with R136a1, and a3. HSH17 is $\sim 70$ mas away from R136a1, and the visual binary of of R136a3 is $\lesssim 40$ mas from it. To calculate the probability of chance alignments we assume a cluster surface density of $\sim 20 \operatorname{arcsec}^{-2}$ around the central $1^{\prime \prime}$ of R136a1 (from Hunter et al. 1995), and use the measured angular separations, adopting the formulation of Pomohaci et al. (2019). Our calculation suggests that there is ~75\% chance that HSH17 is not a chance alignment with R136a1, and that $\# 34$ is around $\sim 90 \%$ not aligned by chance with a3. This opens up statistically, the nonnegligible probability that these stars are actually part of a binary system.

### 3.3. Masses of the WN5h Stars

Spectral energy distribution (SED) models of the central WN5h stars, R136a1, a2, and a3, are presented in Bestenlehner et al. (2020). The spectral parameters of the SEDs were derived by comparison to available spectroscopy. The authors of that paper estimated the stellar luminosity by fitting the SEDs against available photometry from Crowther et al. (2016) and Khorrami et al. (2021), accounting for extinction.

To derive the luminosity using Zorro magnitudes, we compared our available photometry against the SEDs, assuming the reddening law from Maíz Apellániz et al. (2014) having the mean $R_{V}=4.18$ of the region (Bestenlehner et al. 2020). ${ }^{10}$ The value of absolute extinction was left free between the range of $1.6<A_{V}<2.0$, with the total luminosity the remaining free parameter. The extinction coefficients for each filter were

[^4]Table 2
Flux Ratios of Stars within the Central Core from Different Photometric Studies

| Instrument | Zorro | WFPC2 $^{\text {a }}$ | SPHERE $^{\text {b }}$ | WFC3 |
| :--- | :---: | :---: | :---: | :---: |
|  | $466 / 562 / 716 / 832$ | F336W/F555W/F814W | H/Ks | F336W/F555W/F814 |

Notes.
${ }^{\text {a }}$ Taken from optical HST WFPC2 data of Hunter et al. (1995).
${ }^{\mathrm{b}}$ From IR AO imaging of Khorrami et al. (2021).
${ }^{\text {c }}$ Based on HST WFP3 in Crowther et al. (2010), Section 2.3.
${ }^{\text {d }}$ HSH17 is the source nomenclature taken from Hunter et al. (1995), and refers to the marked companion to al in Figure 1.
calculated using the integrated response assuming the Maíz Apellániz et al. (2014) reddening law for the value $R_{V}=4.18$. No Milky Way or foreground extinction was included in the fitting process, following the prescription in Maíz Apellániz et al. (2014). A simple least-square fit was performed searching for the $\chi^{2}$ minimum for the extinction and total luminosity value. The total integrated luminosity is calculated based on the resulting fit.

The resulting fits are plotted in Figure 7. Also shown are the archival HST photometry from Hunter et al. (1995), and $K s$ magnitudes from Khorrami et al. (2021). All magnitudes are shown with error bars of 0.1 mag for illustrative purposes, although the fitting was performed with the error bars listed in Table 1. The error bars are chosen such because a magnitude uncertainty of 0.2 mag leads to approximately an error in the logarithm of luminosity in units of solar luminosity of $\sim 0.1$ dex. Also shown are the $K s$-band magnitudes derived from integral field unit spectroscopy from the SINFONI instrument on the VLT estimated by Rubio-Díez et al. (2017). The optical HST and IR AO photometry predict smaller values of magnitude (and thereby higher luminosity) than our magnitude estimates. A considerable fraction of this for the central sources could be due to contamination from the neighboring visual companions, which are not separated well. The Ks magnitudes from Rubio-Díez et al. (2017) agree better with our results, and might do so due to the background subtraction methodology adopted by those authors.

The resulting values of luminosity are given in Table 3. From the derived luminosity values, and adopting the effective temperatures from Bestenlehner et al. (2020), we estimate stellar initial masses using BONN Stellar Astrophysics Interface (BONNSAI; Schneider et al. 2014). BONNSAI provides Bayesian probability distributions of the fundamental stellar parameters (such as initial stellar mass, current mass, age) by comparing observed stellar parameters against stellar evolutionary models, while providing uncertainties on the estimated parameters, and whether they disagree with current models. The stellar evolutionary models used in BONNSAI are from Köhler et al. (2015). To estimate the stellar initial mass, we used our estimated luminosity and its associated uncertainty, and the effective temperature, stellar mass-loss rate, rotation velocity, and helium abundances from Bestenlehner et al. (2020). The positions of the WN5h stars are shown in the Hertzsprung-Russell diagram in Figure 8, and the resulting initial masses, as well as a comparison with those available in the literature are given in Table 3. The resulting luminosities, and initial masses are comparatively smaller than estimated previously by Crowther et al. (2016) and Bestenlehner et al.
(2020), and similar to those estimated in Rubio-Díez et al. (2017).

Although there is no theoretical upper-mass limit to the initial mass function, the empirical upper-mass limit was considered to be around $150 M_{\odot}$ (Figer 2005; Weidner \& Kroupa 2004). In 2010, the three central stars of R136 were argued by Crowther et al. (2010) to have initial masses greater than $\sim 150 M_{\odot}$ (although it has been argued in Banerjee et al. 2012, Banerjee \& Kroupa 2012, and Oh \& Kroupa 2018 that these VMS stars may have formed from mergers that could occur frequently in such binary-rich stellar-dynamical environments). The empirical stellar upper-mass limit remains set by R136a1, whose current mass estimates in the literature are between 250-325 $M_{\odot}$ (Crowther et al. 2016; Bestenlehner et al. 2020). Based on luminosities determined from the resolved Zorro imaging of a1, the the mass we determine is considerably lower at $196_{-27}^{+34} M_{\odot}$, pointing toward a lower upper-mass limit than previously considered, and similar to the estimates obtained by Rubio-Díez et al. (2017).
The key relevance of the increased upper-mass limit estimate from 150 to $300 M_{\odot}$ found by Crowther et al. (2010) (under the assumption of nonbinarity) was that the observed mass range comfortably encompasses the hypothesized pair-instability supernova (PISN) range between 140 and $260 M_{\odot}$ (Heger \& Woosley 2002). Note that these mass ranges were derived for zero metallicity, as finite metallicity stars are expected to lose more mass in radiation-driven winds. As the mass-loss rates for very massive stars are likely underestimated, enhanced massloss rates would allow for a more substantial mass-loss history, and potentially a higher upper-mass limit (Vink 2018). Nonetheless, the present-day mass estimates of the most-massive stars in conjunction with hydrogen abundances provided key constraints on the evolutionary mass history and therefore the actual upper-mass limit (Crowther et al. 2010).

Therefore, given that stars around $300 M_{\odot}$ were considered to exist even in the local universe had huge implications for stellar evolution studies-leading to increased numbers of black holes and gravitational wave events, and various feedback mechanisms, such as ionizing radiation, which are strong functions of stellar mass (Schneider et al. 2018). Most dramatically, even if stars in relatively high- $Z$ environments such as the LMC $\left(\sim 1 / 2 Z_{\odot}\right)$, lost too much mass, the very existence of stars around $300 M_{\odot}$ led to the logical conclusion that PISNe should exist, even in the Local Universe (Crowther et al. 2010). The importance of whether or not PISNe exist cannot be overemphasized, as just one PISN from a $300 M_{\odot}$ star would produce and release more metals into the interstellar medium than an entire stellar mass function below it


Figure 7. Spectral energy distribution of the three WN stars in R136, labeled. Underlying theoretical models are from Bestenlehner et al. (2020). Observed Zorro photometry are given by red circles, with the blue circles representing HST or $K s$ photometry from Khorrami et al. (2021), plotted in AB magnitude units. Gray circles or carets (lower limits) are $K$ magnitudes from Rubio-Díez et al. (2017). All error bars are of 0.1 mag, except when greater.

Table 3
Luminosities and Masses of the Central WN5h Stars

| WB85 $^{\mathrm{a}}$ | $\log L$ <br> $\left(L_{\odot}\right)$ | Mass <br> $\left(M_{\odot}\right)$ | Reference $^{\mathrm{b}}$ |
| :--- | :---: | :---: | :---: |
| R136 a1 | $6.67 \pm 0.13$ | $196_{-27}^{+34}$ | This work |
|  | $6.79 \pm 0.1$ | $251_{-31}^{+48}$ | Bestenlehner et al. (2020) |
|  | $6.94 \pm 0.09$ | $315_{-50}^{+60}$ | Crowther et al. (2016) |
| R136 a2 | $6.55 \pm 0.13$ | $151_{-16}^{+27}$ | This work |
|  | $6.75 \pm 0.1$ | $211_{-32}^{+31}$ | Bestenlehner et al. (2020) |
|  | $6.63 \pm 0.09$ | $195_{-30}^{+35}$ | Crowther et al. (2016) |
| R136 a3 | $6.56 \pm 0.13$ | $155_{-18}^{+25}$ | This work |
|  | $6.63 \pm 0.1$ | $181_{-31}^{+29}$ | Bestenlehner et al. (2020) |
|  | $6.58 \pm 0.09$ | $180 \pm 30$ | Crowther et al. (2016) |

## Notes.

${ }^{\text {a }}$ Based on the nomenclature from Weigelt \& Baier (1985).
${ }^{\mathrm{b}}$ All spectral parameters except luminosity are the same with Bestenlehner et al. (2020). Crowther et al. (2016) adopted effective temperatures of $53 \pm 3 \mathrm{kK}$ for all sources.
(Langer 2012), which would completely change our understanding of galactic chemical evolution modeling.
But despite a decade of searching for evidence of PISN in superluminous SNe observations, observers have yet to find a reliable PISN candidate. Furthermore, the PISN theory predicts a conspicuous yield pattern with abundances of even $Z$ elements consistently higher than those of odd $Z$ elements


Figure 8. Hertzsprung-Russell diagram of the WN5h stars in R136. R136a1 is marked as a circle, a2 as a caret, and a3 a square, while red represents results in this work, black for values from Bestenlehner et al. (2020), and gray the results of Crowther et al. (2016). The stellar mass tracks are taken from Köhler et al. (2015), for the initial rotational velocity of $150 \mathrm{~km} \mathrm{~s}^{-1}$.
(the so-called "odd-even" effect), but observations of carbonrich chemically extremely metal-poor (CEMP) stars have thus far not revealed these specific signatures (Umeda \& Nomoto 2005). The implication of our lowered $200 M_{\odot}$ mass for R136a1 is that the stellar upper-mass limit is lower, naturally explaining that PISNe are avoided, and accounts for the lack of very long-lived light curves among superluminous SNe , as well as the absence of the odd-even signature in CEMP stars.

There are two important caveats to our result. First, the stellar luminosity considered here for determination of the mass would be inaccurate in the case of a multiple system. From our observations, we are only able to separate visual binary components farther than $\sim 2000$ au apart. Crowther et al. (2010) consider the case of multiples, and ruled out that the three central WN5h stars were equal mass close binaries ( $<200 \mathrm{au}$ ) based on the X-ray luminosity, which would be higher in case of colliding winds. Similarly, Schnurr et al. (2009) carried out a spectroscopic study of R136, and determined that none of the central stars have binaries with orbital periods shorter than 44 days. If we assume a modest mass ratio of 0.25 , this would rule out binaries closer than $\sim 2$ au The parameter space between radial velocity observations and our speckle imaging can be filled by the advent of 30 m class of telescopes, which at the diffraction limit can reach angular resolutions of $\sim 200 \mathrm{au}$.

The second caveat is the dependency on the evolutionary models used to estimate the stellar mass. At such high stellar masses, a significant fraction of the star's observed mass is lost before it becomes visible. A suitable treatment of the mass loss due to radiation-driven winds must be accounted for. The models used in Schneider et al. (2014) may have mass-loss rates underestimated by up to a factor of about 2 (Bestenlehner et al. 2020), which could lead to a much higher initial mass estimate. Vink (2018) use radiative transfer models to show that an exact mass-loss history is needed to estimate the initial masses of very massive stars, especially for observations beyond a million years, as different initial masses converge to similar stellar masses.

## 4. Conclusions

In this paper, we have presented the sharpest optical images of the LMC cluster R136 taken using the speckle imager Zorro mounted on Gemini South Observatory. Our main conclusions are the following:

1. Stellar census. We identify all known stars brighter than $V=16$ mag within $2^{\prime \prime}$ from R136a1 at angular resolutions between 30-40 mas ( $\sim 2000$ au at the adopted distance) in filters with central wavelengths similar to BVRI. The coordinates, and magnitudes of all sources detected are tabulated.
2. Cluster core. We resolve the central core surrounding the WN5h star R136a1, separating al from it is visual companion HSH17 (at an angular distance of 3000 au ). HSH17 is a mid-O spectral type star. The WN5h star R136a3 is also shown to have a faint visual companion in the optical $\lesssim 2000$ au away. These companions have minor probabilities of being chance alignments.
3. The masses of the three central WN5h stars in R136 (a1, a2, a3) estimated from our photometry is between 200 and $150 M_{\odot}$-significantly lower than the range of $\sim 320-180 M_{\odot}$ quoted in the literature. Since al is currently thought to be the most-massive star known, our result indicates that the current empirical upper-mass limit of stellar initial masses is lower than previously claimed.
As concluding remarks, we caution that observations of this nature, to the authors knowledge, have not been conducted in the literature, and push the boundary of what is considered possible using speckle photometry. For this reason, we express caution when interpreting our results, and use them only to suggest that currently the validity of the known empirical
upper-mass limit in this region previously found in the literature should only be considered as an estimate, and future much higher angular resolution images are essential to estimate the stellar luminosity (and mass) that can separate the flux contribution from various neighboring components.
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Facilities: Gemini.

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[^0]:    

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[^1]:    7 https://www.gemini.edu/instrumentation/alopeke-zorro/

[^2]:    8 https://vizier.cds.unistra.fr/viz-bin/VizieR?-source=J/ApJ/448/179

[^3]:    9 https://www.gemini.edu/instrumentation/alopeke-zorro/capability\#Sensitivity

[^4]:    ${ }^{0}$ The extinction coefficients computed following Maíz Apellániz et al. (2014) are $A_{\mathrm{EO} 466} / A_{V}=1.18, A_{\mathrm{EO} 532} / A_{V}=0.98, A_{\mathrm{EO} 716} / A_{V}=0.74$, and $A_{\mathrm{EO} 832} /$ $A_{V}=0.6 . A_{V}$ designates the monochromatic extinction at $5495 \AA$.

